

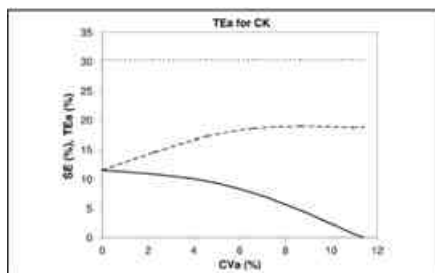
# Deriving performance criteria for laboratory tests: which model should be used?

Wytze Oosterhuis



## Gross Overestimation of Total Allowable Error Based on Biological Variation

*To the Editor:*



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Clin Chem 2011; 57: 1334



## Stockholm criteria

Scand J Clin Lab Invest 1995; 55: 303

### Consensus agreement

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The Editors of this special issue of the Scandinavian Journal of Clinical and Laboratory Investigation and the Organizing Committee of the Conference, European in Global Quality Specifications in Laboratory Medicine, Stockholm, 24-26 April 1995, are pleased to report that this issue Conference was most successful. Over 500 participants from 27 countries actively contributed to the discussions on the 22 formal presentations. Our primary aim in organizing the Conference was to

### CONSENSUS STATEMENT\*

The main outcome of the Conference was agreement that the following hierarchy of models should be applied to set analytical quality specifications.

1. Evaluation of the effect of analytical performance on clinical outcomes in specific clinical settings
2. Evaluation of the effect of analytical performance on clinical decisions in general:
  - a. Data based on components of biological variation
  - b. Data based on analysis of clinicians' opinions
3. Published professional recommendations
  - a. From national and international expert bodies
  - b. From expert local groups or individuals
4. Performance goals set by
  - a. Regulatory bodies
  - b. Organizers of External Quality Assessment (EQA) schemes
5. Goals based on the current state of the art
  - a. As demonstrated by data from EQA or Proficiency Testing scheme
  - b. As found in current publications on methodology.

## Desirable routine analytical goals for quantities assayed in serum

Stöckl et al. Eur J Clin Chem 1995; 33: 157

“A striking feature is the fact that all of the individual approaches described recommend numbers for analytical standard deviation near or equal to 0.5 times the biological standards deviation”

### Imprecision < 0,5SD<sub>b</sub>

$$\text{Total SD} = (\text{SD}_a^2 + \text{SD}_b^2)^{1/2} \quad \text{SD}_a = 0,5\text{SD}_b \rightarrow$$

$$\text{Total SD} = ((0,5\text{SD}_b)^2 + \text{SD}_b^2)^{1/2}$$

$$\text{Total SD} = (0,25\text{SD}_b^2 + \text{SD}_b^2)^{1/2}$$

$$\text{Total SD} = (1,25\text{SD}_b^2)^{1/2}$$

### Total SD = 1,12SD<sub>b</sub>

→ analytical variation < 12% total variation



## Total Error concept

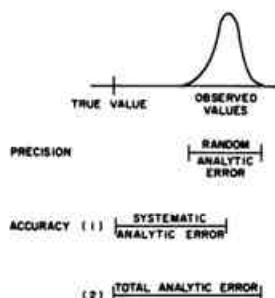
Westgard:

One measure for uncertainty of the test result



## Criteria for Judging Precision and Accuracy in Method Development and Evaluation

James O. Westgard, R. Neill Carey, and Svante Wold<sup>1</sup>



$$TE = Z \times SD_a + \text{bias}$$

Fig. 1. Definitions of precision and accuracy in terms of random, systematic, and total analytic errors

Clin Chem 1974;20:825



## Quality goals in external quality assessment are best based on biology

C. G. FRASER & P. HYLTOFT PETERSEN

$$\pm [1.65 (1/2CV_i) + 1/4(CV_i^2 + CV_g^2)^{1/2}]$$

$$\underline{TE_a = 1,65(0,5CV_i) + 0,25(CV_i^2 + CV_g^2)^{1/2}}$$



There are many data [3] on within-subject ( $CV_i$ ) and between-subject ( $CV_g$ ) biological variation which allow generation of quality goals for EQAS as:

allowable imprecision  $< 1/2CV_i$

allowable inaccuracy  $< 1/4(CV_i^2 + CV_g^2)^{1/2}$

These specifications should be fulfilled separately and EQAS appropriately designed. However, when only a single determination of each survey material is used or allowed, the 95% acceptance range (for total error) for each laboratory from the target value is:

$$\pm [1.65 (1/2CV_i) + 1/4(CV_i^2 + CV_g^2)^{1/2}]$$

$$TE = Z \times CV_a + \text{bias}$$

$$Z=1,65$$

$$TE_a = 1,65 CV_a + \text{bias}$$

$$CV_a=0,5CV_i$$

$$TE_a = 1,65(0,5CV_i) + \text{bias}$$

$$\text{bias}=0,25CV_b$$

$$TE_a = 1,65(0,5CV_i) + 0,25CV_b$$

$$CV_b=0,25(CV_i^2 + CV_g^2)^{1/2}$$

$$\underline{TE_a = 1,65(0,5CV_i) + 0,25(CV_i^2 + CV_g^2)^{1/2}}$$



### The estimate for bias: (Gowans et al.)

- IFCC guideline for calculation of reference values.
- N=120
- maximum of 4,6% outside the reference limit

$$SD_a < 0,58SD_{\text{biol}} \text{ (with bias=0)}$$

$$\text{Bias} < 0,25SD_{\text{biol}} \text{ (with } SD_a=0)$$

The reference values are based on both within- as between individual variation.

Scan J Clin Lab Invest 1988; 48: 757



## Analytical goals for the acceptance of common reference intervals for laboratories throughout a geographical area

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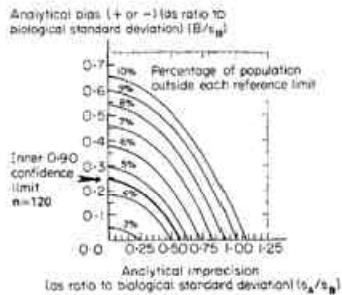
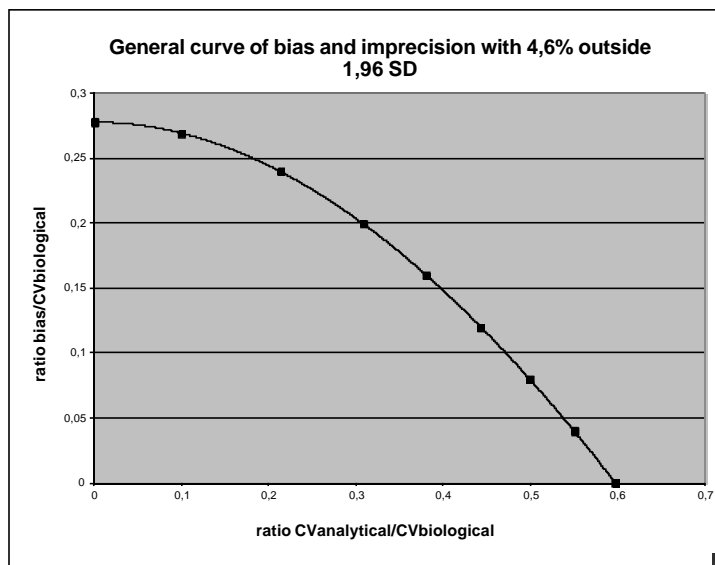


Fig. 6. Relationship between maximal acceptable analytical bias and imprecision for fixed percentages of the population outside either of the  $\pm 1.96 s$  reference limits. This is a more operational transformation of the information detailed by the horizontal inner confidence limits shown in Fig. 5.



# Example

## TE<sub>a</sub> calculation CK



The screenshot shows a web browser window displaying the Westgard QC website. The page title is "Biological Variation Database specifications - Westgard QC - Windows Internet Explorer". The URL is "http://www.westgard.com/database/1.htm". The page content includes a navigation menu with items like "HOME", "WESTGARD RULES", "T-SAYS", "QC APPLICATIONS", "LESSONS", "CLM & QUALITY", "DOWNLOADS", "STORE", "RESOURCES", and "ABOUT". The main heading is "Biological Variation Database Specifications". A sub-heading reads "Desirable Specifications for Total Error, Imprecision, and Bias, derived from intra- and inter-individual biologic variation". The text below states: "This most recent and extensive listing of biologic goals has been provided by Ricos C, Alvarez V, Cava F, Garcia-Lario JV, Hernandez A, Jimenez CV, Minchinela J, Perich C, Simon M. 'Current Desirable Specifications for Total Error, Imprecision, and Bias'." A search bar and a "Member Login" section are also visible on the right side of the page. The EFLM logo is present in the bottom right corner of the screenshot.

Concentration (µmol/L)					
U	C-Telopeptide of type I collagen/creatinine, 1st morning	32,8	48,0	16,4	14,5
U	C-Telopeptide type I collagen/creatinine, 2nd morning	23,4	—	11,7	—
S	Creatine kinase (CK)	22,8	40,0	11,4	11,5
S	Creatine kinase MB, %	6,9	48,2	3,85	2,17
S	Creatine kinase MB, activity	18,7	24,3	9,9	7,8

**CK:**

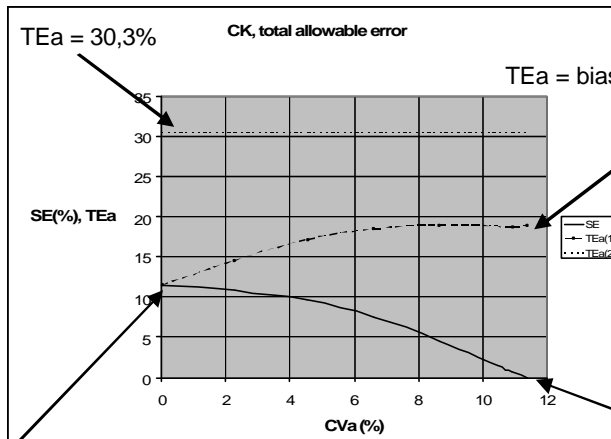
$$CV_{\text{within}} = 22,8\%$$

$$CV_{\text{between}} = 40,0\%$$

$$\text{Imprecision} = 0,5 \times CV_{\text{within}} = 11,4\%$$

$$\text{Bias} = 0,25 \sqrt{(CV_{\text{within}}^2 + CV_{\text{between}}^2)} = 11,5\%$$

$$TE_{\text{allowable}} = \text{Bias} + 1,65 \times \text{imprecision} = 11,5\% + 1,65 \times 11,4\% = 30,3\%$$



Allowable bias = 11,5%

Allowable imprecision = 11,4%





## Conclusion

Comparing 18.9% with 30.3%, we see that TE<sub>a</sub> is overestimated in the latter model. For different purposes, the maximum allowable imprecision and bias have been derived separately from data on biological variation. To combine these maximum values into a single expression has no theoretical basis and leads to gross overestimation of TE<sub>a</sub>.

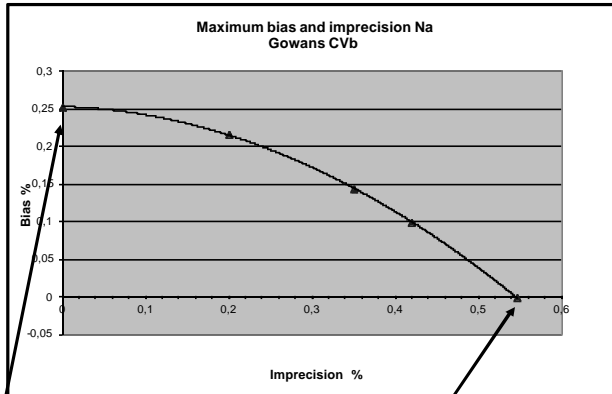


## Gowans' model is exact but:

- Only 'CV<sub>b</sub>' used for calculation of reference values. CV<sub>a</sub>?



## Example Sodium



$$CV_i = 0,6\%$$

$$CV_g = 0,7\%$$

$$CV_b = 0,92$$

$$CV_a = 1,06\%$$

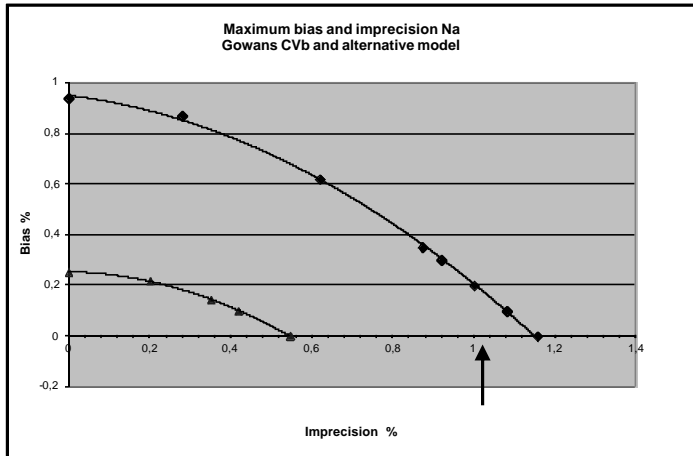
$$\text{Max. Bias} = 0.27 * CV_b = 0.25\%$$

$$\text{Max. } CV_a = 0.59 * CV_b = 0.55\%$$

## Gowans' model is exact but:

- Only 'CV<sub>b</sub>' used for calculation of reference values.

$$\text{Alternative: } (CV_{a0}^2 + CV_i^2 + CV_g^2)^{1/2} \quad !$$



$CV_i = 0,6\%$   
 $CV_g = 0,7\%$   
 $CV_b = 0,92$

$CV_{a0} = 1,06\%$

## Gowans' model is exact but:

- Only ' $CV_b$ ' used for calculation of reference values.

Alternative:  $(CV_{a0}^2 + CV_i^2 + CV_g^2)^{1/2}$

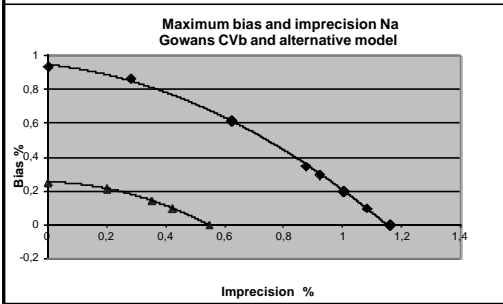
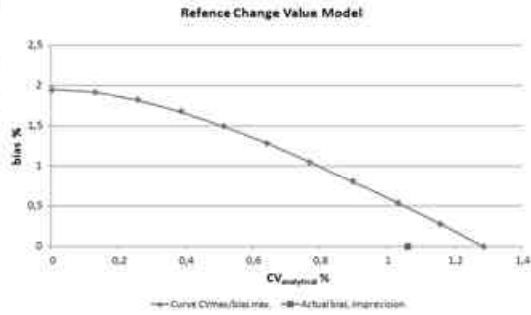
- To use for monitoring:

Alternative: change to reference change model:

$$RCV = \sqrt{2} \times Z \times (CV_i^2 + CV_{a0}^2)^{1/2}$$

**Calculation Bias-Imprecision Curve According to Reference Change Value Model**

Test	Na	
CV <sub>i</sub> (CV within)	0,60	%
Imprecision, CV <sub>a0</sub>	1,06	%
Actual bias	0,00	%
Actual total imprecision, CV <sub>a</sub>	1,06	%
Imprecision max. (bias=0)	1,29	%
Bias max. (actual CV <sub>a</sub> )	0,48	%



**Summary: different steps:**

- 1) Decision to use test based on: e.g.  $CV_a < 0,5 CV_i$  (or other)
  - $CV_{a0}$  and reference values present
- 2) Apply RCV model, test should remain within curve
- 3) Develop ICQ !
- 4) Keep bias close to zero with EQA (1<sup>st</sup> grade QC material)

